On the Final-Over-Final Condition, the Head-Final-Filter and their exceptions

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1. Introduction. In On Linearization. MIT Press, 2023 I submitted that the following tenets are at the base of a restrictive theory of word order variation across languages:
i) Linear order is a function of movement (Internal Merge), in one of the forms movement can take, as we see from wh-movement, a standard case of movement: without pied piping (as in (1)a.), or with pied piping of the whose-pictures type, as in (1)b., or with pied piping of the pictures-of-whom type, as in (1)c., or with a combination of the two types of pied piping, as in (1)d.:
(1)a. Aylan, [who] you have certainly seen [pictures of [ _ ]],..
b. Aylan, [[whose] pictures] you have certainly seen [ _ ],..
c. Aylan, [pictures of [whom]] you have certainly seen [ _ ],..
d. Aylan, [pictures of [[whose] body]] [ _ ] have stirred great global sympathy,..
ii) Only the Heads of each of the sub-projections that make up an extended projection can move (in the way the wh- of (1) does) strictly within their projection. This is the crucial restriction holding of the movements that derive the neutral orders.
iii) Kayne's (1994) Linear Correspondence Axiom, which applies to the hierarchies built by External and Internal Merge.

As argued for in Cinque (2023) these tenets manage to discriminate between the possible (attested, attestable) orders and the impossible (non attested, unattestable) orders.

In this talk I focus on how the same tenets can shed light on the relative frequencies of the attested orders and on the exceptions to two important generalizations: the Final-Over-Final Condition of Sheehan, Biberauer, Roberts, and Holmberg 2017 and Williams's (1982) Head-Final-Filter, which appear to show the same pattern of frequencies.

